

In-Sem Examination T.E. 2015 (Production)
Numerical Techniques and Optimization Methods
(Semester - II)

Time: 1 Hour

Max. Marks : 30

Instructions to the candidates:

- 1) Neat diagrams must be drawn wherever necessary.
- 2) Figures to the right side indicate full marks.
- 3) Use of Calculator is allowed.
- 4) Assume Suitable data if necessary

Q1) a) Explain with suitable example (i) Truncation error (ii) Conversion error [4]

b) The concentration of pollutant bacteria C in the lake decreases with time according to: [6]

$$C = 75e^{-1.5t} + 20e^{-0.075t}$$

Use Bisection method to determine the time required to reduce the bacteria concentration to

15. Range of initial guess is 3 to 6.(Perform four iterations)

OR

Q2) a) The following system of equation was generated by applying mesh current law to an [8]
 electrical circuit. Using Gauss Seidel method, determine I_1, I_2, I_3

$$60I_1 - 40I_2 = 200$$

$$-40I_1 + 150I_2 - 100I_3 = 0$$

$$-100I_2 + 130I_3 = 230$$

b) What is condition number? What is its significance? [2]

Q3) The stress τ and the shear strain rate $\dot{\gamma}$ for a pseudo-plastic fluid can be expressed as: [10]

$\tau = \mu \dot{\gamma}^n$. Where, μ is the viscosity and n is exponent of shear strain rate. Using following data for 0.5% hydroxethylcellulose in water solution, determine, μ and n .

$\dot{\gamma} (1/s)$	50	70	90	110	130
$\tau (N/m^2)$	6.01	7.48	8.59	9.19	10.21

OR

Q4) Data for specific volume ' v ' and entropy ' s ' for superheated H_2O at 200 MPa is given in [10]
 Table below:

$v (m^3/Kg)$	0.103	0.111	0.125
$s (KJ/Kg K)$	0.414	0.545	0.766

Determine entropy at specific volume of $0.108 m^3/kg$ using Lagrange interpolation method.

- Q5) a)** The outflow of a chemical concentration (c) from a reactor is measured as: **[10]**

t (sec)	0	1	4	6	8
c (mg/m ³)	12	22	32	45	58

For an outflow of 0.3 m³/s, estimate the mass of chemical in grams that exit the reactor from 0 to 8 sec. The mass is given as: $M = Q \int_{t_1}^{t_2} c \cdot dt$. Use Simpson's 1/3 rule.

OR

- Q6) a)** Explain trapezoidal rule for numerical integration. **[5]**
- b)** Explain Runge-Kutta methods for solving ordinary differential equation. **[5]**